



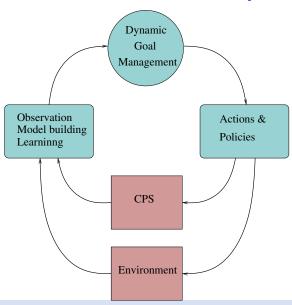
## Self-Aware CPSs

Axel Jantsch

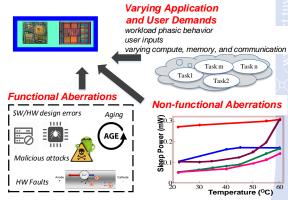
TU Wien, Vienna, Austria

oCPS Fall School October 2019

## **Self-Aware Control Loop**



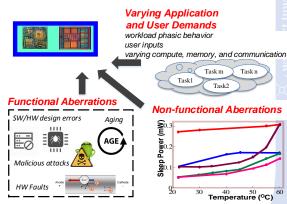






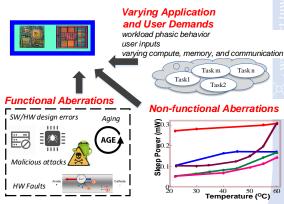
#### **The Problem**

 Large number of resources

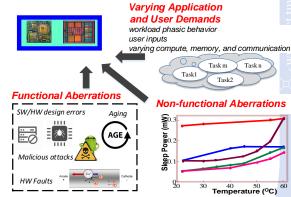


#### **The Problem**

- Large number of resources
- Many tight constraints



- Large number of resources
- · Many tight constraints
- Varying application demands, both within and between applications;



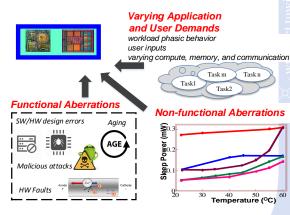
Task m

Task2

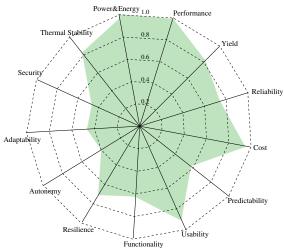
Task r

Temperature (°C)

- Large number of resources
- Many tight constraints
- Varying application demands, both within and between applications;
- Functional Aberrations:
  - Design errors or omissions:
  - Malicious attacks:
  - Aging;
  - Soft errors:
- Non-functional Aberrations:
  - Performance;
  - Power consumption;

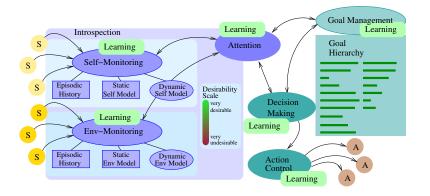


#### The SoC Radar



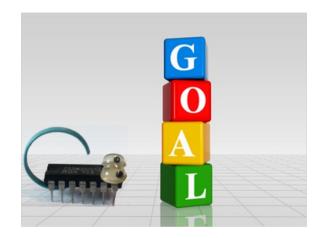
Santanu Sarma et al. "On-Chip Self-Awareness Using Cyberphysical-Systems-On-Chip (CPSoC)". In: Proceedings of the 12th International Conference on Hardware/Software Codesign and System Synthesis (CODES+ISSS). New Delhi, India, Oct. 2014

#### **Self-Awareness Architecture**



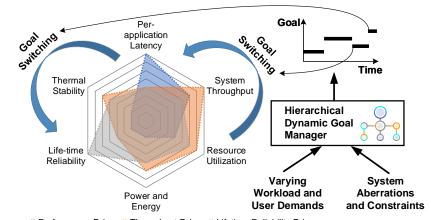


## **Goal Managment**





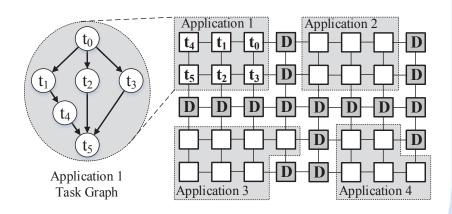
## **Goals for Dynamic Task Mapping**



Performance Driven ™Throughput Driven ™Lifetime Reliability Driven



## **Dynamic Task Mapping**





## **Example 1: Performance Driven Task Mapping**

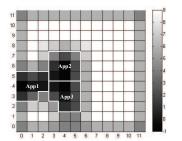
#### MapPro Objectives:

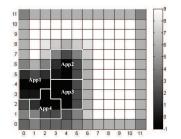
- Maximize performance for all applications;
- Minimize communication latency in the new application;
- Minimize fragmentation.

Mohammad-Hashem Haghbayan et al. "MapPro: Proactive Runtime Mapping for Dynamic Workloads by Quantifying Ripple Effect of Applications on Networks-on-Chip". In: Proceedings of the International Symposium on Networks on Chip. Vancouver, Canada, Sept. 2015



## **Example 1: Performance Driven Task Mapping**



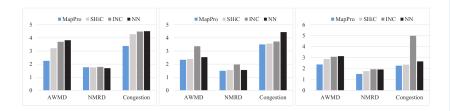


MapPro: Heuristic to minimize application internal communication delay and to minimize fragmentation.

- first Node selection: Identifies a first node and a region for a new application;
- 2 Allocates specific cores around the first node;
- 3 Maps tasks to cores.



## **Example 1: Performance Driven Task Mapping**



Experiments with 12x12 - 16x16 networks.

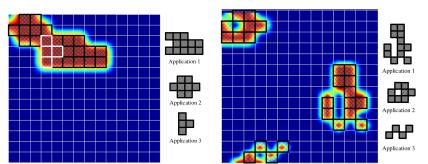
AWMD: Average Weighed Manhattan Distance: Measures the communication cost based on traffic volume.

NMRD: Normalized Mapped Region Dispersion is the normalized average of pairwise Manhattan distances of all communication nodes of a mapped application: measures the compactness of a region.

**External Congestion:** Number of contended packets belonging to different applications.

# www icf filwien ac at

# Example 2: Power- and Thermal Constrained Task Mapping



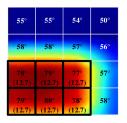
The patterning algorithm disperses mapped cores to maximize the Thermal Safe Power budget.

Anil Kanduri et al. "Dark Silicon Aware Runtime Mapping for Many-core Systems: A Patterning Approach". In: Proceedings of the International Conference on Computer Design (ICCD). New York City, USA, Oct. 2015, pp. 610–617



## **Example 2: Efficient Budgeting**

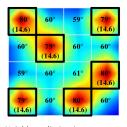
**Tightly packed Cores** 



Neighbors accumulating temperature

Utilized Power Budget = 76.2 W

#### **Spreadout Cores**



Neighbors dissipating temperature

Utilized Power Budget = 87.6 W

- ✓ 15% Better Utilization
- ✓ Activate more cores
- ✓ Reduce temperatures
- ✓ Minimize Dark Silicon



## **Example 2: Power Budget Improvement**

Percentage Power Budget Improvement for PAT over SC

Network Size	90% Dark		75% Dark		50% Dark	
	Avg.	Best	Avg.	Best	Avg.	Best
16x16	5.74	13.9	4.15	11.3	2.19	7.68
20x20	6.54	17.17	5.06	8.55	2.63	4.28

#### Percentage Power Budget Improvement for PAT over TSP-WC

Network Size	90% Dark		75% Dark		50% Dark	
	Avg.	Best	Avg.	Best	Avg.	Best
16x16	32.33	34.92	22.02	24.14	11.73	13.2
20x20	38.70	40.83	22.40	27.4	12.5	13.33



## **Example 2: Throughput Gain**

#### Percentage Throughput gain for PAT over SC

Network Size	90% Dark		75% Dark		50% Dark	
	Avg.	Best	Avg.	Best	Avg.	Best
16x16	7.27	15.64	4.59	13.92	2.42	8.58
20x20	8.5	20.99	5.88	10.21	2.89	4.54

- Surplus Budget > Added latency

- ✓ Minimal congestion
- ➤ Per Application Latency ✓ Per Chip Throughput



## Example 3: Lifetime-Reliability-Driven Task Mapping

- To main limitations of many-cores:
  - Not enough power to turn on all cores (dark silicon)
  - Increased susceptibility of IC to aging and wear-out
- Goal: Introduce lifetime reliability awareness in the runtime resource management layer
  - Guarantee specified level of reliability
  - Satisfy the power budget
  - Optimize performance

M. H. Haghbayan et al. "A lifetime-aware runtime mapping approach for many-core systems in the dark silicon era". In: Design, Automation Test in Europe Conference Exhibition (DATE). Mar. 2016, pp. 854–857

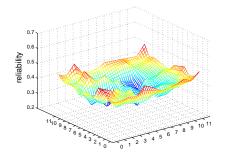


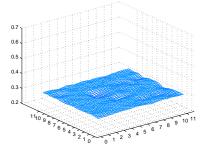
# Example 3: Lifetime-Reliability-Driven Task Mapping

Proposed approach based on two feedback controllers Short-term controller · Application mapping Power Budget Runtime Mapping · Select less aged cores Power control Long-term controller Reliability Reliability Analysis Requirement - Reliability management  $R_{lifetime}$ · Compute current aging status · Disable highly stressed cores Reliability Monitor NoC-based Many-core System



## **Example 3: Lifetime-Reliability-Driven Task Mapping**





MapPro: lifetime=5.52 years

Reliability aware mapping: lifetime=12 years

The plots show the reliability of cores at the end of the system's lifetime. The end of the system's life is reached when the reliability of one core drops below 30%.



## **Challenges in Complex Many-Core SoCs**

- A number and variety of objectives
  - Partially contradicting
  - At different time scales
- Objectives change over time
- The system state has to be known
- Application objectives have to be known



1 Single objective; Design time;



- 1 Single objective; Design time;
- 2 Multiple objectives; Design time;



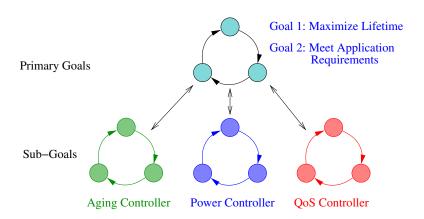
- 1 Single objective; Design time;
- 2 Multiple objectives; Design time;
- 3 Multiple objectives; Run time;



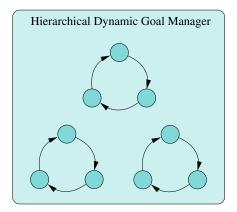
- 1 Single objective; Design time;
- 2 Multiple objectives; Design time;
- 3 Multiple objectives; Run time;
- 4 Multiple, hierarchical objectives; Run time;



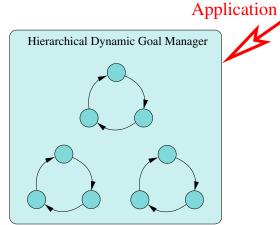
## **Hiararchical Goal Management**



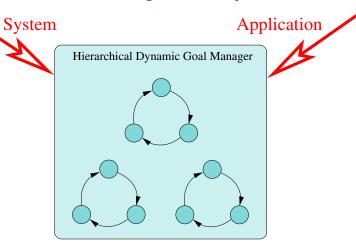




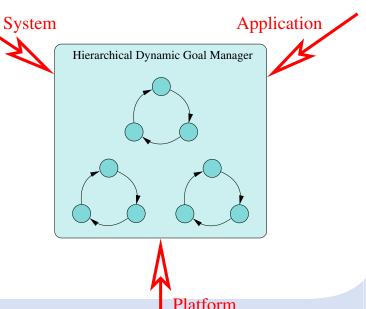






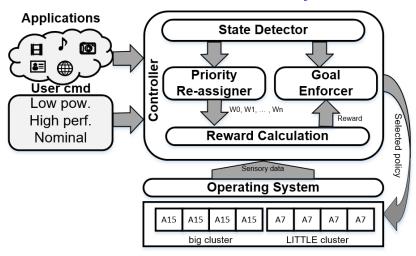








## **Goal Driven Autonomy**



Elham Shamsa et al. "Goal-Driven Autonomy for Efficient On-chip Resource Management: Transforming Objectives to Goals". In: Proceedings of the Design and Test Europe Conference (DATE). Florence, Italy, Mar. 2019



## **Terminology**

Agent is an actor in the system, that pursues specific objectives.  $\mathcal{B} = \{B_1, B_2, B_3\}$ 



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Parameter: are entities measured and subject to control, like power consumption and application performance.

 $\begin{aligned} &\text{E.g. } \mathcal{P}_{pow}(core1), \\ &\mathcal{P}_{pow}(\text{PLATFORM}), \end{aligned}$ 

 $\mathcal{P}_{perf}(A_2)$ .



Objective function: either minimizes or maximizes a parameter or puts a constraint on a parameter. E.g.

 $o_1 := \mathcal{P}_{\mathsf{pow}}(\mathsf{PLATFORM}) \to \mathsf{min},$ 

 $\emph{o}_2 := \mathcal{P}_{\mathsf{pow}}(\mathsf{PLATFORM}) \leq \emph{C}_1,$ 

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$$O(B_1)$$

... objective of agent  $B_1$ 



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$$O(A_1)$$

$$\mathcal{O}_{\mathcal{P}}(\mathcal{B},\mathcal{A})$$

... objective of agent  $B_1$ 

... objective of application  $A_1$ .

... set of objective functions of agents  $\mathcal B$  and applications  $\mathcal A$  relevant for parameter  $\mathcal P$ .



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$$O_{pow}(\{B_2, B_4\}, \{A_1, A_3\}) \dots$$

 $O_{pow}(\{B_2, B_4\}, \{A_1, A_3\})$  ... set of objective functions of agents  $B_2$  and  $B_4$  and applications  $A_1$  and  $A_3$  relevant to power.

Hierarchy Level: is a number assigned to actors; the higher the level, the more important is the actor.



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$$H(B_1) = 3$$
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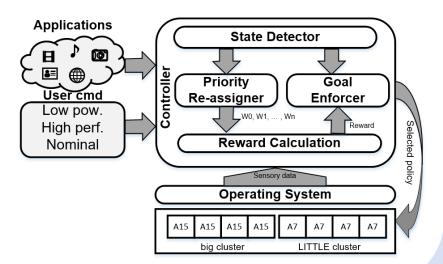
 $H_P(\mathcal{B})$  is the highest hierarchy level of any agent in  $\mathcal{B}$  which includes an objective function relevant for parameter P:

$$H_{\mathcal{P}}(\mathcal{B}) = \max_{\mathcal{B} \in \mathcal{B}} (H(\mathcal{B})) \text{ for which } O_{\mathcal{P}}(\{\mathcal{B}\}, \{\}) \neq \{\}$$



Priority of a parameter is the highest hierarchy level of the involved agents:  $\mathbf{P}_{P} = H_{P}$ .







Agents:  $\mathcal{B} = \{ \text{USER}, \text{PLATFORM}, \text{APPLICATION} \}$ 



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Applications: There ar *n* applications active:

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Parameters:  $\mathcal{P}_{pow}$ ,  $\mathcal{P}_{perf}$ 



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Parameters:  $\mathcal{P}_{pow}$ ,  $\mathcal{P}_{perf}$ 

Platform objectives:

$$O(PLATFORM) = \{\mathcal{P}_{pow}(PLATFORM) \leq TDP\}$$



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**User Objectives:** 

$$O(\mathsf{USER}) = \begin{cases} \{\mathcal{P}_\mathsf{perf}(\mathsf{PLATFORM}) \to \mathsf{max}\} \\ \text{if user command = "High Performance"} \\ \{\mathcal{P}_\mathsf{pow}(\mathsf{PLATFORM}) \to \mathsf{min}\} \\ \text{if user command = "Low Power"} \end{cases}$$



Agents:  $\mathcal{B} = \{\text{USER}, \text{PLATFORM}, \text{APPLICATION}\}$ 

Applications: There ar *n* applications active:

$$A = \{A_1, A_2, \dots, A_n\}.$$

Parameters:  $\mathcal{P}_{pow}$ ,  $\mathcal{P}_{perf}$  Platform objectives:

$$O(PLATFORM) = \{\mathcal{P}_{pow}(PLATFORM) \leq TDP\}$$

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$$O(\text{USER}) = \begin{cases} \{\mathcal{P}_{\text{perf}}(\text{PLATFORM}) \rightarrow \text{max}\} \\ \text{if user command = "High Performance"} \\ \{\mathcal{P}_{\text{pow}}(\text{PLATFORM}) \rightarrow \text{min}\} \\ \text{if user command = "Low Power"} \end{cases}$$

Application Objectives: A minimum  $(C_A^{\min})$  and a maximum  $(C_A^{\max})$  performance constraint is given for each application A:

$$\textit{O}_{\textit{A}} = \{\mathcal{P}_{\mathsf{perf}}(\textit{A}) \leq \textit{C}_{\textit{A}}^{\mathsf{max}}, \mathcal{P}_{\mathsf{perf}}(\textit{A}) \geq \textit{C}_{\textit{A}}^{\mathsf{min}}\}$$



### **State Detection**

#### State vector:

• Power: Violation: TDP< p

Potential Violation: 0.8 TDP  $\leq p \leq$  TDP

No Violation:  $p \le 0.8 \text{ TDP}$ 

User Command: High Performance

Low Power

 Performance per application: [ Min run time, Max run time ]



### **Goal Hierarchy**

$$H(\mathsf{PLATFORM}) = egin{cases} 5 & \text{if } \mathcal{P}_{\mathsf{pow},\mathsf{cur}} > 0.9\mathsf{TDP} \ 2.5 & \text{if } 0.9\mathsf{TDP} > \mathcal{P}_{\mathsf{pow},\mathsf{cur}} > 0.8\,\mathsf{TDP} \ 1 & \text{if } \mathcal{P}_{\mathsf{pow},\mathsf{cur}} < 0.8\mathsf{TDP} \end{cases}$$
 $H(\mathsf{USER}) = 2$ 
 $H(\mathsf{APPLICATION}) = (1 + rac{n_{viol}}{n})$ 



## **Priority Assignment**

- Primary goals: thermal safety
- Secondary goals: User experience
- Tertiary goals: Application requirements



$$extbf{ extit{P}}_{ extit{P}_{ ext{pow}}} \ = \ extbf{ extit{H}}_{ extit{P}_{ ext{pow}}}$$



$${m P}_{{\mathcal P}_{\sf pow}} \ = \ H_{{\mathcal P}_{\sf pow}} = \max(H({\sf USER}), H({\sf PLATFORM})$$



$$m{P}_{\mathcal{P}_{\mathsf{pow}}} = H_{\mathcal{P}_{\mathsf{pow}}} = \max(H(\mathsf{USER}), H(\mathsf{PLATFORM}))$$
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```
m{P}_{\mathcal{P}_{\mathsf{pow}}} = H_{\mathcal{P}_{\mathsf{pow}}} = \max(H(\mathsf{USER}), H(\mathsf{PLATFORM}))
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= \begin{cases} \max(H(\mathsf{USER}), H(\mathsf{APPLICATION})) \\ (\text{if User Command} = \text{""High Performance"}) \end{cases}
= \begin{cases} H(\mathsf{APPLICATION})) \\ (\text{if User Command} = \text{"Low Power"}) \end{cases}
```



### **Goal Enforcement**

- Selects action that most likely will satisfy the highest priority goal;
- Action = Resource allocation policy;
- Initial action is randomly selected;
- Actions are assessed in a reinforcement learning loop;
- Reinforcement learning is based on a reward function.

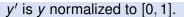


### **Rewards**

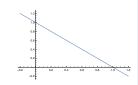
- A function is assigned to every objective function.
- A [min, max] interval is assumed for each reward function.
- The reward function is normalized to  $[0,1] \rightarrow [0.1]$ .
- For minimizing and maximizing a linear reward function is used.
- For bounds a variant of the generalized logistic function is used:
  - $R(x) = \frac{1}{(1+e^{B(x-A)C})}$
  - For lower bound constraints: A = 0.1, B = -10, C = 1.
  - For upper bound constraints: A = 0.9, B = 10, C = 1.







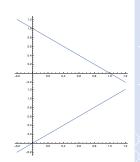
$$y = f(x) \rightarrow \min$$
  $R_{\min}(y') = -y'$ 





$$y = f(x) \rightarrow \min$$
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$$y = f(x) o \max$$
  $R_{\max}(y') = y'$ 

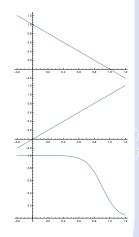




$$y = f(x) \rightarrow \min$$
  $R_{\min}(y') = -y'$ 

$$y = f(x) o \max$$
  $R_{\max}(y') = y'$ 

$$y = f(x) \le C_{\text{max}}$$
  $R_{\text{ub}}(y') = \frac{1}{(1 + e^{10(y' - 0.9)})^1}$ 





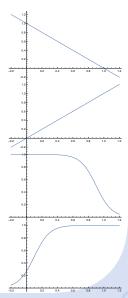
Objective function Reward function

$$y = f(x) \rightarrow \min$$
  $R_{\min}(y') = -y'$ 

$$y = f(x) \rightarrow \max$$
  $R_{\max}(y') = y'$ 

$$y = f(x) \le C_{\text{max}}$$
  $R_{\text{ub}}(y') = \frac{1}{(1 + e^{10(y' - 0.9)})^1}$ 

$$y = f(x) \ge C_{\min}$$
  $R_{lb}(y') = \frac{1}{(1 + e^{-10(y' - 0.1)})^1}$ 





y' is y normalized to [0, 1].

### **Reward Calculation**

 $Reward = W_0R_0 + W_1R_1 + W_2R_2 + ... + W_nR_n$  With the objective functions for power and performance:

$$R = \mathit{W}_{\mathcal{P}_{\mathsf{pow}}} \cdot \mathit{R}_{\mathcal{P}_{\mathsf{pow}}} + \sum_{\mathit{A} \in \mathcal{A}} \mathit{W}_{\mathcal{P}_{\mathsf{perf}}}(\mathit{A}) \cdot \mathit{R}_{\mathcal{P}_{\mathsf{perf}}}(\mathit{A})$$



### **Reward Calculation for Power**

Objective Functions for power with user command "Low Power":

$$\begin{array}{lcl} \textit{O}_{\mathcal{P}_{\mathsf{pow}}}(\mathcal{B},\mathcal{A}) & = & \textit{O}(\mathsf{PLATFORM}) \cup \textit{O}(\mathsf{USER}) \\ \\ & = & \{\mathcal{P}_{\mathsf{pow}}(\mathsf{PLATFORM}) \leq \mathsf{TDP}, \\ \\ & & \mathcal{P}_{\mathsf{pow}}(\mathsf{PLATFORM}) \rightarrow \mathsf{min} \} \end{array}$$

### **Reward Calculation for Power**

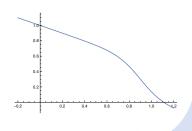
Objective Functions for power with user command "Low Power":

$$\begin{array}{lcl} \textit{O}_{\mathcal{P}_{\mathsf{pow}}}(\mathcal{B},\mathcal{A}) & = & \textit{O}(\mathsf{PLATFORM}) \cup \textit{O}(\mathsf{USER}) \\ \\ & = & \{\mathcal{P}_{\mathsf{pow}}(\mathsf{PLATFORM}) \leq \mathsf{TDP}, \\ \\ & & \mathcal{P}_{\mathsf{pow}}(\mathsf{PLATFORM}) \rightarrow \mathsf{min} \} \end{array}$$

Reward function:

$$R_{\mathcal{P}_{pow}} = \frac{1}{2}(R_{min}(y') + R_{ub}(y'))$$
  
=  $\frac{1}{2}(-y + \frac{1}{1 + e^{10((y'-0.9)}})$ 

where y' is the normalized  $\mathcal{P}_{pow,cur}$ .



#### **Reward Calculation for Power**

Objective Functions for power with user command "High Performance":

$$egin{array}{lcl} \mathcal{O}_{\mathcal{P}_{\mathsf{pow}}}(\mathcal{B},\mathcal{A}) &=& \mathcal{O}(\mathsf{PLATFORM}) \cup \mathcal{O}(\mathsf{USER}) \ &=& \{\mathcal{P}_{\mathsf{pow}}(\mathsf{PLATFORM}) \leq \mathsf{TDP}\} \end{array}$$

## **Reward Calculation for Power**

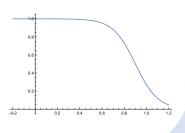
Objective Functions for power with user command "High Performance":

$$egin{array}{lcl} O_{\mathcal{P}_{\mathsf{pow}}}(\mathcal{B},\mathcal{A}) &=& O(\mathsf{PLATFORM}) \cup O(\mathsf{USER}) \ &=& \{\mathcal{P}_{\mathsf{pow}}(\mathsf{PLATFORM}) \leq \mathsf{TDP}\} \end{array}$$

Reward function:

$$R_{P_{pow}} = R_{ub}(y'))$$
  
=  $\frac{1}{1 + e^{10((y'-0.9)}}$ 

where y' is the normalized  $\mathcal{P}_{pow,cur}$ .



Objective Functions for performance with user command "Low Power":

$$\begin{aligned} O_{\mathcal{P}_{\mathsf{perf}}}(\mathcal{B}, \{A\}) &= O_{\mathcal{P}_{\mathsf{perf}}}(\mathsf{USER}) \cup O_{\mathcal{P}_{\mathsf{perf}}}(\{A\}) \\ &= \{\mathcal{P}_{\mathsf{perf}}(A) \leq C_A^{\mathsf{max}}, \mathcal{P}_{\mathsf{perf}}(A) \geq C_A^{\mathsf{min}} \} \end{aligned}$$

Objective Functions for performance with user command "Low Power":

$$\begin{aligned} O_{\mathcal{P}_{\mathsf{perf}}}(\mathcal{B}, \{A\}) &= O_{\mathcal{P}_{\mathsf{perf}}}(\mathsf{USER}) \cup O_{\mathcal{P}_{\mathsf{perf}}}(\{A\}) \\ &= \{\mathcal{P}_{\mathsf{perf}}(A) \leq C_A^{\mathsf{max}}, \mathcal{P}_{\mathsf{perf}}(A) \geq C_A^{\mathsf{min}} \} \end{aligned}$$

Reward function for A:

$$egin{array}{lcl} R_{\mathcal{P}_{\mathsf{perf}}}(A) & = & rac{1}{2}(R_{\mathsf{lb}}(y') + R_{\mathsf{ub}}(y')) \ & = & rac{1}{2}(rac{1}{1 + e^{10((y' - 0.9)}} \ & + rac{1}{1 + e^{-10((y' - 0.1)}}) \end{array}$$

0.9 0.8 0.7 0.9 0.5 1.0 1.5 2.0

where y' is the normalized  $\mathcal{P}_{perf,cur}(A)$ .





Objective Functions for performance with user command "High Performance":

$$egin{array}{lcl} O_{\mathcal{P}_{\mathsf{perf}}}(\mathcal{B}, \{A\}) &=& O_{\mathcal{P}_{\mathsf{perf}}}(\mathsf{USER}) \cup O_{\mathcal{P}_{\mathsf{perf}}}(\{A\}) \ &=& \{\mathcal{P}_{\mathsf{perf}}(A) 
ightarrow \mathsf{max}, \ && \mathcal{P}_{\mathsf{perf}}(A) \leq C_A^{\mathsf{max}}, \mathcal{P}_{\mathsf{perf}}(A) \geq C_A^{\mathsf{min}} \} \end{array}$$

Objective Functions for performance with user command "High Performance":

$$egin{array}{lcl} O_{\mathcal{P}_{\mathsf{perf}}}(\mathcal{B}, \{A\}) &=& O_{\mathcal{P}_{\mathsf{perf}}}(\mathsf{USER}) \cup O_{\mathcal{P}_{\mathsf{perf}}}(\{A\}) \ &=& \{\mathcal{P}_{\mathsf{perf}}(A) 
ightarrow \mathsf{max}, \ && \mathcal{P}_{\mathsf{perf}}(A) \leq C_A^{\mathsf{max}}, \mathcal{P}_{\mathsf{perf}}(A) \geq C_A^{\mathsf{min}} \} \end{array}$$

Reward function for A:

$$R_{\mathcal{P}_{\mathsf{perf}}}(A) = \frac{1}{3}(R_{\mathsf{max}}(y') + R_{\mathsf{lb}}(y') + R_{\mathsf{ub}}(y'))^{\frac{\alpha s}{\alpha s}}$$

$$= \frac{1}{3}(y' + \frac{1}{1 + e^{10((y' - 0.1)})}^{\frac{\alpha s}{\alpha s}} + \frac{1}{1 + e^{-10((y' - 0.1)})}^{\frac{\alpha s}{\alpha s}}$$



where y' is the normalized  $\mathcal{P}_{perf,cur}(A)$ .

## **Reward Calculation**

$$R = W_0 \times R_0 + W_1 \times R_1 + W_2 \times R_2 + ... + W_n \times R_n$$
  
=  $W_{\mathcal{P}_{pow}} \cdot R_{\mathcal{P}_{pow}} + \sum_{A \subseteq A} W_{\mathcal{P}_{perf}}(A) \cdot R_{\mathcal{P}_{perf}}(A)$ 



## **Reward Calculation**

$$\begin{array}{lcl} R & = & W_0 \times R_0 + W_1 \times R_1 + W_2 \times R_2 + ... + W_n \times R_n \\ & = & W_{\mathcal{P}_{pow}} \cdot R_{\mathcal{P}_{pow}} + \sum_{A \in \mathcal{A}} W_{\mathcal{P}_{perf}}(A) \cdot R_{\mathcal{P}_{perf}}(A) \end{array}$$

For the weights we use priorities:

$$m{P}_{\mathcal{P}_{\mathsf{pow}}} = H_{\mathcal{P}_{\mathsf{pow}}} = \max(H(\mathsf{USER}), H(\mathsf{PLATFORM}))$$
  
 $m{P}_{\mathcal{P}_{\mathsf{perf}}}(A) = H_{\mathcal{P}_{\mathsf{perf}}}$ 



## **Reward Calculation**

$$\begin{array}{lcl} R & = & W_0 \times R_0 + W_1 \times R_1 + W_2 \times R_2 + ... + W_n \times R_n \\ & = & W_{\mathcal{P}_{pow}} \cdot R_{\mathcal{P}_{pow}} + \sum_{A \in \mathcal{A}} W_{\mathcal{P}_{perf}}(A) \cdot R_{\mathcal{P}_{perf}}(A) \end{array}$$

For the weights we use priorities:

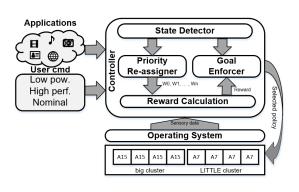
$$m{P}_{\mathcal{P}_{\mathsf{pow}}} = H_{\mathcal{P}_{\mathsf{pow}}} = \max(H(\mathsf{USER}), H(\mathsf{PLATFORM}))$$
  
 $m{P}_{\mathcal{P}_{\mathsf{perf}}}(A) = H_{\mathcal{P}_{\mathsf{perf}}}$ 

Thus:

$$R = \mathbf{P}_{\mathcal{P}_{\mathsf{pow}}} \cdot R_{\mathcal{P}_{\mathsf{pow}}} + \sum_{A \in \mathcal{A}} \mathbf{P}_{\mathcal{P}_{\mathsf{perf}}}(A) \cdot R_{\mathcal{P}_{\mathsf{perf}}}(A)$$



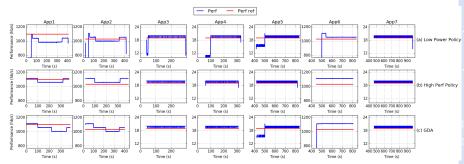
## **Q-Learning**



- Actions are task migration, cluster DVFS;
- Rewards are updated;
- Actions with highest rewards are executed;
- Initially, actions are selected randomly.



## **Experiments**



Experiments with a set of microkernel benchmarks; Hardkernel Odroid XU3 board, with two clusters (4 big (A15) and 4 little (A7) CPU cores); Performance in heartbeats/sec.

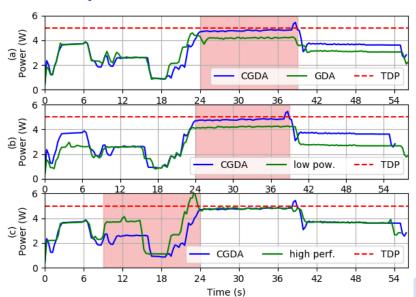


# **Comparison**

Tech.	Obj	Cmd	Pwr viol.	Perf. viol.	Avg. pwr (W)
LP	Power	Х	0%	27%	2.86
HP	Perf.	Χ	3%	0%	3.7
GDA	Dynamic	✓	0%	14%	3.1
CGDA	Dynamic	✓	1%	2%	3.4

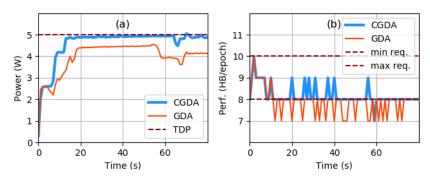


## **Experiments - Power Evaluation**





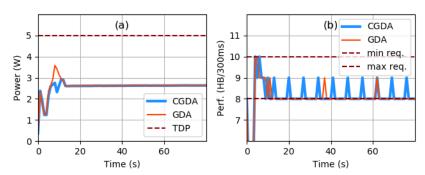
## **Experiments - Load Evaluation I**

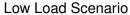


High Load Scenario



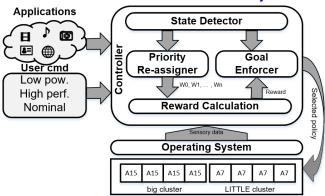
## **Experiments - Load Evaluation II**







## **Goal Driven Autonomy**



Elham Shamsa et al. "Goal-Driven Autonomy for Efficient On-chip Resource Management: Transforming Objectives to Goals". In: *Proceedings of the Design and Test Europe Conference (DATE)*. Florence, Italy, Mar. 2019

Axel Jantsch et al. "Hierarchical Dynamic Goal Management for IoT Systems". In: Proceedings of the IEEE International Symposium on Quality Electronic Design (ISQED 2018). USA, Mar. 2018

Amir M. Rahmani, Axel Jantsch, and Nikil Dutt. "HDGM: Hierarchical Dynamic Goal Management for Many-Core Resource Allocation". In: IEEE Embedded Systems letters 10.3 (Sept. 2018)



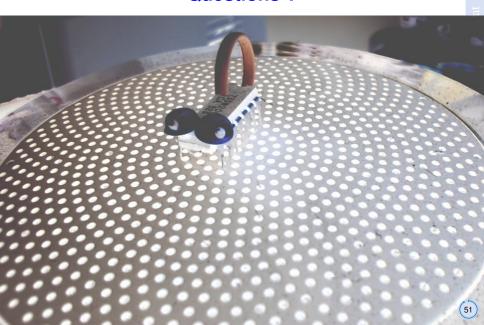
## **Self-Aware CPS**

## Summary

- Observation, Model building, Learning
- Goal management
  - Framework for managing various different goals and objectives;
  - Goals can dynamically change;
  - Actions are improved during operation based on reinforcement learning.



## **Questions?**



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